Optic disc measurement with the Zeiss four mirror contact lens

A F Spencer, S A Vernon

Abstract
A knowledge of the optic disc size may be of value when assessing the glaucoma suspect. The vertical diameter of the optic disc was measured using a Zeiss four mirror gonioscope and a 900 Haag-Streit slit-lamp in one eye of 39 patients, 32 with refractive errors within 3 diopters of emmetropia. The disc was measured by projecting a slit beam of known height onto the image of the disc. A magnification factor for the contact lens was calculated from first principles and disc height recalculated. These measurements were compared with those obtained by photographic methods using the corrections suggested by Bengtsson and Krakau. In the analysis on the 32 eyes within 3 diopters of emmetropia the best correlation with clinical measurements was obtained with correction 3 using spectacle refraction and keratometry \((r=0.8614)\). The contact lens measurement was within plus or minus 0.1 mm of the photographic measurement in 67% of cases and plus or minus 0.2 mm in all cases. This simple method is advocated for the routine assessment of optic disc size.

\(\text{(Br J Ophthalmol 1994; 78: 775-780)}\)

A diagnosis of the presence of glaucomatous change in an optic disc requires the observer to determine one or more abnormalities in the appearance of the disc in question. Disc size is known to vary considerably, and hence a large cup may be normal in a large disc and even a small cup may be abnormal in a small disc. A knowledge of the dimensions of the optic disc is therefore of value to the clinical ophthalmologist.

Methods of measurement in vivo include fundus photography with planimetry, measurement of the aerial image formed by an indirect ophthalmoscope, and measurement of distances using scanning laser ophthalmoscopy.

A contact lens with a flat front surface produces a virtual erect image of the fundus in the vitreous that can be viewed by the slit-lamp microscope. The relative magnification of the image is determined by the refractive index of the contact lens, the ocular dimensions, and the power of the natural lens if present.

The dimensions of the image of a retinal object — for example, the vertical diameter of the optic disc, can therefore be estimated by comparison with a narrow slit beam produced by the slit-lamp in the image plane of the microscope.

In this study the vertical diameter of the optic disc measured by the above method using a Zeiss four mirror contact lens is compared with three planimetric methods recently described by Bengtsson and Krakau.

Materials and methods
The optic discs of one eye of 39 patients were examined, 32 of which had a refractive error within plus or minus 3·0 D best sphere of emmetropia. There were 15 normals, eight ocular hypertensives, and 16 glaucoma patients.

MEASUREMENT WITH ZEISS FOUR MIRROR
The pupil was dilated with 1% tropicamide and the eye anaesthetised with proxymetacaine 0·5% or amethocaine 1%. A Zeiss four mirror gonioscope contact lens was then applied gently to the cornea, the fundal image being observed through the central viewing zone. The optic disc was defined as the area inside the white peripapillary scleral ring. The vertical diameter was defined as the distance from the edge of the nerve fibre rim at 12 o'clock to the edge of the nerve fibre rim at 6 o'clock.

A narrow vertical slit beam of light was reduced progressively in size from 5 mm until it was judged to correspond to the size of the disc. The beam height was then recorded, from the scale on the slit-lamp, by an assistant. The slit beam was then reset to 5 mm and the measurement repeated twice. The observer performing the measurements was thus unaware of the results until all three readings had been taken. As the slit-lamp beam height scale is calibrated in 0·1 mm steps, measurements were judged by the assistant to the nearest 0·1 mm, 0·05 increments being 'rounded up'. From the three readings a mean was derived.

SLIT BEAM CALIBRATION
Calibration of the biomicroscope used for the study was performed in the following manner: a focused beam was projected onto a card on which were printed parallel lines at different distances apart. The distance between five pairs of lines ranging from 1–5 mm apart was measured with a micrometre screw gauge by two observers, the mean being taken as the true distance. The size of the slit beam was then adjusted to coincide with the distance between the two lines and this was read off the scale on the biomicroscope in a similar manner to that employed for the disc height.

CALCULATION OF MAGNIFICATION FACTOR FOR ZEISS FOUR MIRROR
This was calculated from first principles.

Calculation of the focal point of the plano concave lens/cornea combination can be performed in two ways:

\[ \frac{1}{f} = \frac{n - 1}{r} \]
r = radius of curvature = 7.7 mm
n = index of refraction of BK7 of lens/index of refraction of cornea = 1.519/1.336

hence

\[
\frac{1}{f} = 0.01779
\]

\[
f = 56.20 \text{ mm}
\]

This gives us a good estimate but it is more accurate to use the formula:

\[
n'^2 \cdot l^2 = (n' - n) \cdot r
\]

\[
l = \text{distance to image (focal point of lens)}
\]

\[
n' = \text{refractive index of media behind contact lens (that is, cornea/aqueous) = 1.336}
\]

\[
r = \text{radius of curvature of the lens = 7.7 mm}
\]

hence

\[
\frac{1.336}{1}= (1.336 - 1.519)/7.7
\]

\[
l' = -1.336/0.0238
\]

\[
l' = -56.13 \text{ mm}
\]

The optical centre or principal plane of the plano concave lens is on the anterior surface of the cornea.

The principal plane of the biconvex crystalline lens is calculated knowing the power of the anterior \((F')\) and posterior \((F'')\) surface of the lens.

\[
F' = \frac{n - 1}{r}
\]

where

\[
n = \text{difference in refractive index lens/aqueous} = 1.416/1.336
\]

\[
r = 10 \text{ mm (Gullstrand model eye)}
\]

therefore

\[
F' = 5.988 \text{ D}
\]

and

\[
F'' = \frac{n - 1}{r}
\]

where

\[
n = \text{ratio for refractive index lens/vitreous} = 1.416/1.336
\]

\[
r = 6 \text{ mm (Gullstrand model eye)}
\]

therefore

\[
F'' = 9.980 \text{ D}
\]

and the principal plane of the equivalent thin lens is 2.25 mm from the front surface of the lens.

The anterior surface of the lens is 3.6 mm from the anterior corneal surface in the average eye.

Hence the distance from the principal plane of the cornea+CL to the principal plane of the crystalline lens is 3.6 + 2.25 = 5.85 mm = d (see below).

Power of ‘cornea+CL’ is \(F'\)

\[
F' = \frac{1}{f}
\]

\[
= \frac{1}{-56.13 \text{ mm}}
\]

\[
= -17.8 \text{ D}
\]

The crystalline lens has an effective power of 19.1 D (Gullstrand’s model eye), focal distance \(f = 69.908 \text{ mm}\).

The effective power of ‘cornea+CL’ in plane of crystalline lens is \(F''\)

\[
F'' = \frac{-1}{-d''}
\]

\[
d = \text{distance moved in m} = 0.00585 \text{ m}
\]

\[
F'' = -17.8/1 - \frac{-0.00585}{(-17.8)}
\]

\[
= -17.8/(1-0.104)
\]

\[
= -19.86 \text{ D}
\]

So overall power of crystalline and ‘cornea+CL’ = 19.1 - 19.86 = -0.76 D

Having calculated the power of the ‘cornea+CL’ in the plane of the crystalline lens and knowing the distance of the crystalline lens to the object we can calculate the distance, from the lens, to the image.

Axial length = 24.4 mm (Gullstrand’s model eye)

Distance from retina (object) to principal plane of lens

\[
24.4 - 5.85 = 18.55 \text{ mm}
\]

Using the formula

\[
\frac{v}{-1} = \frac{u}{-1} = \frac{1}{f}
\]

\[
v = \text{distance lens to image}
\]

\[
u = \text{distance lens to object}
\]

\[
1/f = -0.76 \text{ D}
\]

then

\[
\frac{1}{v} = \frac{1}{-1 - 0.0185} = -0.76
\]

\[
\frac{1}{v} = -0.76 + (1/0 - 0.0185)
\]

\[
v = -18.29 \text{ mm}
\]

(that is, behind lens)

Magnification for the contact lens is calculated from:

\[
\frac{I/O}{10} = 18.29/18.55 \quad \text{image size} = I
\]

\[
1 = 0.985 \times O \quad \text{object size} = O
\]

therefore real size = image size/0.985

**PHOTOGRAPHIC CORRECTIONS**

The axial length and corneal curvature of the eyes was measured using calibrated instruments (Coopervision Ultrascan Digital A and Javal Schiotz keratometer) and spectacle refractions were performed by experienced optometric staff at a separate examination. Photographs of the optic discs were taken at the highest magnification, 30 degree setting, with a Topcon fundus camera. A camera constant for the camera used was calculated by the method described by Bengtsson and Krakau. The photographic slides of the optic discs were projected onto a screen and the optic disc vertical diameter (using the same criteria as described above) was measured by two independent observers and the mean reading taken. The magnification produced by the projector was calculated for each photograph by the two observers who measured the black to black distance on the transparency with a scientific ruler and the height of the total image produced on the screen. Magnification ‘drift’ was found never to exceed 1% throughout the study. The slides had been magnified 23.5 times. The estimates described in Bengtsson and Krakau’s paper were then applied to the mean image height obtained, taking into account the camera constant, in order to give the actual size of the optic disc. All three estimations were applied, that is, using (a) axial length only, (b) spectacle correction only, and (c) using spectacle correction and keratometry.
ANALYSIS
The clinical measurements recorded were corrected after the slit beam calibration and for the 'magnification factor' of the Zeiss four mirror. These results were then compared for individual eyes with the calculated vertical disc diameter obtained from the three photographic methods using scattergram plots from which regression equations could be derived. For intraobserver variation the coefficient of variation of the Zeiss four mirror measurements is calculated.

Results
MEASUREMENT OF OPTIC DISC BY ZEISS FOUR MIRROR CONTACT LENS
The size of the optic discs ranged from 1.3 to 2.0 mm with a mean of 1.687 (SD 0.194) mm.

MEASUREMENT OF OPTIC DISC HEIGHT FROM THE PROJECTED SLIDES
There was good agreement between observers A and B measuring the projected image of the optic discs. Figure 1 shows the actual measurements for these. Agreement was examined by plotting the difference between the two measurements against the mean (Fig 2). This method of assessing agreement between two methods of measuring the same feature was described by Altman and Bland. If observer A did not read consistently higher or lower than observer B as the slope of the regression line is not significant. The mean of the measurements was therefore used in further calculations. The optic discs measured from 1.365 – 2.388 mm, mean 1.717 (0.203) mm.

COMPARISON WITH BENGTSSON AND KRAKAU'S CALCULATIONS

Estimate 1 based on ultrasonography
Magnification factor
\[ M_{e1} = n k/(1-p) \]
where:
- \( n \) = distance apex of cornea to principal point (0.0016 m)
- \( p \) = refractive index 1.336 (k = camera constant = 0.068)

The results of the clinical and photographic measurements (using estimate 1) are compared in Figure 3 for the 32 eyes within 3 D of emmetropia (\( r = 0.7765 \)). If all the eyes are considered there is not such close correlation (\( r = 0.792 \)).

Estimate 2 based on spectacle refraction
Magnification factor
\[ M_{e2} = kD/(1-G/D) \]
\[ D = 58.64 \] dioptre (Gullstrand) normal refractive power of the eye
\[ G = \text{measured spectacle refraction (dioptre)} \]
\[ M_{e2} = 4.08/(1-0.017G) \]

The results of the clinical and photographic measurements (using estimate 2) are compared in Figure 4. Again we find a closer correlation for the 32 eyes within 3 D of emmetropia with \( r = 0.8118 \) and for all 39 eyes \( r = 0.7576 \).

Estimate 3 based on refraction and keratometry
Magnification factor
\[ M_{e3} = k(D+A+8\Delta D') \]
\[ \Delta D' = (D' - D) \] (Gullstrand) normal refractive power of the cornea and
\[ D' = 0.336/r, \] that is, 'normal' refractive power of the cornea
\[ r = \text{measured corneal radius (m)} \] and \( r = 0.0077 \) m (Gullstrand)
\[ A = \text{principal point refraction of the eye} = G/(1-G/D) \]

The results of the clinical and photographic measurements (using estimate 3) are compared in Figure 5 for 32 eyes. The best correlation between the readings is found with this photographic estimate \( r = 0.8614 \) for the 32 eyes within 3 D of emmetropia and \( r = 0.7810 \) for all 39 eyes. There is a significantly greater difference between the photographic and clinical...
measurements for the seven eyes of greater than 3 dioptres of refractive error than for the 32 eyes within 3 dioptres of emmetropia when they are compared using a Mann-Whitney U test, p=0.0156. This is calculated using the results obtained with estimate 3.

Agreement was again examined by plotting the difference between the vertical disc diameter calculated by the photographic method (using estimate 3) and the Zeiss four mirror clinical method against the mean of these two measurements (Fig 6). The mean of the clinical measurements was 1.687 (0.194) mm and that of the photographic measurements was 1.717 (0.203) mm. There was no significant difference between these two means. As the slope of the regression line (Fig 6) is not significant, no consistent difference was found between the two methods of measurement. For the 32 eyes within 3 dioptres of emmetropia, 100% of the clinical measurements were within 0.2 mm of the photographic measurement and 67% within 0.1 mm.

INTROOBSERVER VARIATION FOR THE ZEISS FOUR MIRROR MEASUREMENT

The coefficient of variation was calculated as the square root of the mean value of the variance of the measurements taken three times for each of the 39 optic discs and then divided by the mean value of the measured optic disc diameters. The mean variance was 0.0024 (SD 0.0024) mm and therefore CoV=0.0290 (2.9%).

Discussion

Clinical measurement of the optic disc has been described since 1926 with early authors using either an indirect ophthalmoscope of the Gullstrand type with a graduated scale on the frontal or ocular lens or a direct ophthalmoscope which protects a graticule onto the fundus. Franceschetti and Bock in 1950 reviewed these methods and suggested that the indirect method was more accurate as long as the focal point of the frontal lens coincided exactly with the anterior focus of the eye. If this is not the case, then the refractive error of the eye can influence the image size produced. They describe measuring the optic disc by focal illumination of the fundus with a Goldmann contact lens at a slit-lamp biomicroscope with a graticule fitted in the eyepiece. With this method they found the mean optic disc diameter (an average of the horizontal and vertical measurements) for 100 normals to be 1.6224 mm. Beuchat and Safran also describe measuring the optic disc size at the slit-lamp using a Goldmann fundus contact lens. In their method they adjusted the limits of a slit beam of light to the borders of the optic disc. They found the mean vertical diameter of 140 normal eyes to be 1.46 (0.24) mm. No correction factor for the contact lens was calculated as they used the correction suggested by Franceschetti and Bock which varies depending on the refractive error of the eye.

The magnification factor for a fundus viewing contact lens of polymethylmethacrylate with a flat front surface is 0.925. However the magnification factor for the Zeiss four mirror gonioscope is not the same as that for the Goldmann lens as the lens is manufactured using BK7 (personal communication, Carl Zeiss Oberkochen Ltd) which has a different refractive index. In fact our calculations show that it is even closer to unity. The Zeiss four mirror also has the advantage of not requiring a contact fluid.

The spot size of a certain direct ophthalmoscope has recently been advocated by Drance (oral presentation, glaucoma course, 1992) for estimating optic disc size. However this can only offer an approximation.

An adaptation of indirect ophthalmoscopy has recently been devised by Montgomery in
which a transparent screen is placed at the principal plane of the condensing lens. Therefore the aerial image is located accurately and can be measured directly. The instrumentation for this technique is now available commercially. A comparative study of our method and both the optic disc biometer and 78 dioptry lens, using slit-lamp biomicroscopy, is ongoing.

Different photographic techniques for quantitative analysis of the optic disc have been developed. Stereophotogrammetry measures objects in three dimensional space using stereophotographs. Cup volume can be compared with optic disc area but the accuracy of these measurements is highly dependent on the position of the camera and optic disc of the patient and the quality of the fundus photographs. Planimetry also examines the optic nerve head by photographs (these may be stereo to aid identification of the cup or single images) but provides only one dimensional and area measurements. Littman developed algorithms to correct for the magnification factor of the eye when using the Zeiss fundus camera. This allows absolute values for the size of the optic nerve to be calculated. Bengtsson and Krakau also published a formula for the magnification of the Zeiss fundus camera. Mansour compared horizontal disc diameter calculated from fundus photographs using Bengtsson and Krakau’s formula and the trigonometric curves described by Littman. Mansour found that Bengtsson and Krakau’s formula was an acceptable approximation of Littman’s formula which used anterior corneal curvature and the refractive power of the eye although it underestimated by 0-9%. More recently Bengtsson and Krakau published their corrections for different fundus cameras.

All the above methods (and ours) are reliant on the observer’s interpretation of the optic disc boundary. Those using photographs also require time consuming analysis after the patient has left the outpatient department. Computerised image analysis yields topographic maps from stereophotogrammetry (for example, Humphrey retinal analyser or Rodenstock optic nerve head analyser) or confocal scanning laser ophthalmoscopy (Heidelberg retina tomograph) but is also reliant on the accuracy of boundary recognition. It may give more ‘instant’ results but such technology is not readily available for most clinicians. Projecting multiple beam interference fringes onto the retina has been shown to allow accurate measurement of fundus structures but this technique is, at present, a research tool.

The vertical disc diameter obtained by our clinical method shows good agreement with the planimetric photographic techniques. The intraobserver variation is within acceptable limits and demonstrates the repeatability of this technique. The best agreement was obtained with estimate 3 and the clinical method (r=0.96 14). This is comparable with that achieved comparing optic disc area measured with the Rodenstock optic nerve head analyser and manual planimetry. The measurements we made were ‘rounded up’ or down to the nearest 0-1 mm and this may have reduced the agreement with the photographic method. It is possible to measure to 0-05 mm on the slit beam scale. Photographic methods have inaccuracies despite attempts to correct for ametropia. Pach et al. showed that decentration of a retinal object and axial myopia enlarged image size. Arnold et al. developed a model eye to assess this with the Zeiss fundus camera. They show that the measured magnification varies from calculated formulas and that axial myopia and hypermetropia caused a magnification change of -24-63% to +18-1%. Lotmar showed that the camera to eye distance varies the magnification of the image in ametropia. Such errors may have reduced the agreement we found between the planimetric and clinical methods. The closer correlation found when eyes within 3 dioptres of emmetropia were evaluated would support this. This does imply that Bengtsson and Krakau’s calculations do not deal adequately with greater ametropia as the above authors found with Littman’s corrections. For the seven eyes with higher refractive errors the photographic measurements tended to be larger than the clinical measurements with a significantly greater scatter than that seen for the 32 eyes within 3 dioptres of emmetropia. This clearly needs further investigation with a greater range of refractive errors.

There are a number of points to bear in mind when performing the technique. The contact lens must be kept vertical throughout the measurement as tilt may introduce inaccuracy in the measurement taken. We noted that a tilted lens produced a parallelogram of light rather than a rectangle. A bright but very narrow beam made it easier to match the height of the beam with the vertical disc diameter.

This clinical method is a simple technique for use at the slit-lamp biomicroscope during routine examination of the optic nerve head. It allows a very rapid evaluation of optic disc size and little if any recalculation is required. Disc size alone may be of value in determining the presence of optic nerve hypoplasia or a colobomatous large disc. In addition, in a glaucoma suspect, the same lens facilitates examination of the retinal nerve fibre layer and provides a stereoscopic image of the optic cup. This information, in conjunction with optic disc dimensions, assists the ophthalmologist in evaluating whether the size of the optic cup is appropriate for the size of the optic disc or if glaucomatous damage should be suspected. We recommend optic disc measurement with Zeiss four mirror contact lenses as part of the routine initial examination of the glaucoma suspect.

We wish to thank Mr Ahmed Sadig for his help with measurement of the vertical optic disc diameter from photographic slides, and Mr Peter Pawson for his help with clinical data collection.


Optic disc measurement with the Zeiss four mirror contact lens.

A F Spencer and S A Vernon

Br J Ophthalmol 1994 78: 775-780
doi: 10.1136/bjo.78.10.775

Updated information and services can be found at:
http://bjo.bmj.com/content/78/10/775

Email alerting service

These include:
Receive free email alerts when new articles cite this article. Sign up in the box at the top right corner of the online article.

Notes

To request permissions go to:
http://group.bmj.com/group/rights-licensing/permissions

To order reprints go to:
http://journals.bmj.com/cgi/reprintform

To subscribe to BMJ go to:
http://group.bmj.com/subscribe/